

**DAFFODIL INSTITUTE OF IT (DIIT)**  
**BBA (Honours) in Tourism and Hospitality Management (THM)**  
**Third Year Sixth Semester**  
**Fundamentals of Finance**  
**Chapter- 3**  
**Time Value of Money and its Application**

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**Formula for Time Value of Money**

1. Present Value single sum (PV)

$$PV = \frac{FV}{(1+R)^n}$$

2. Future Value single sum (FV/TV)

$$FV = PV (1 + R)^n$$

3. Present Value Ordinary Annuity/Ending Installment/Payment at the end of the year (PVa)

$$PVa = A \left[ \frac{1 - \frac{1}{(1+R)^n}}{R} \right] \quad \text{Or. } PVa = A \left[ \frac{1}{R} - \frac{1}{R(1+R)^n} \right]$$

4. Future Value Ordinary Annuity/Ending Installment/Payment at the end of the year (FVa)

$$FVa = A \left[ \frac{(1+R)^n - 1}{R} \right] \quad \text{Or. } FVa = \frac{A\{(1+R)^n - 1\}}{R}$$

5. Present Value Annuity Due/Beginning Installment/Payment at the beginning of the year (PVa)

$$PVa = A \left[ \frac{1 - \frac{1}{(1+R)^n}}{R} \right] \times (1+R) \quad \text{Or. } PVa = A \left[ \frac{1}{R} - \frac{1}{R(1+R)^n} \right] \times (1+R)$$

6. Future Value Annuity Due/Beginning Installment/Payment at the beginning of the year (FVa)

$$FVa = A \left[ \frac{(1+R)^n - 1}{R} \right] \times (1+R) \quad \text{Or. } FVa = \frac{A(1+R)\{(1+R)^n - 1\}}{R}$$

7. In case of Debt/Bond/Borrow/ Bank Loan/Loan payment/ offer (PV)

$$PVa = A \left[ \frac{1 - \frac{1}{(1+R)^n}}{R} \right] \quad \text{Or. } PVa = A \left[ \frac{1}{R} - \frac{1}{R(1+R)^n} \right]$$

8. If do not mentioned Beginning or Ending Installment/Annuity

$$(i) \quad PVa = A \left[ \frac{1 - \frac{1}{(1+R)^n}}{R} \right] \quad \text{Or. } PVa = A \left[ \frac{1}{R} - \frac{1}{R(1+R)^n} \right]$$

$$(ii) \quad FVa = A \left[ \frac{(1+R)^n - 1}{R} \right] \quad \text{Or. } FVa = \frac{A\{(1+R)^n - 1\}}{R}$$

NB.: Where,

PV= Present Value

FV= Future Value

TV= Terminal Value

PVa= Present value annuity

FVa= Future value annuity

R= Interest Rate/ Discount rate/ Hurdle rate/ Cost of capital/ Required rate

n= Number of years/ Times/ Periods

A= instalment